

**CORRECTIONS TO THE PAPER “THEOREMS ON R. STOLTENBERG’S
LOCALLY COMPACT BITOPOLOGICAL SPACES” BY I.DOCHVIRI**

By technical reasons, many misprints were made in [1] during the preparation of the paper for publication. We give the list of misprints below.

page	printed	correct version
P.216 ²	UDK 515.5	UDK 513.83
P.216 ¹⁵	an ordered triple (X, τ_1, τ_8)	an ordered triple (X, τ_1, τ_2)
P.216 ₂	59E45	54E55
P.217 ²	$(A, \tau_9^*(A), \tau_2^*(A))$	$(A, \tau_1^*(A), \tau_2^*(A))$
P.217 ⁵	(X, τ_0, τ_5)	(X, τ_1, τ_2)
P.217 ¹⁶	$X = [0; 3] \subset \mathbb{R}$	$X = [0; 1] \subset \mathbb{R}$
P.217 ₁₅	$\tau_j^*clU = A \cap \tau_jclI \subset \tau_jclW$	$\tau_j^*clU = A \cap \tau_jclU \subset \tau_jclW$
P.217 ₉	Consider	Consider
P.218 ⁹	$\{J_n G_n \in \tau_j \cap i - D(X)\}_{n \in \mathbb{N}}$	$\{G_n G_n \in \tau_j \cap i - D(X)\}_{n \in \mathbb{N}}$
P.218 ¹³⁻¹⁴	$\{A_3 \supset A_2 \supset A_3 \supset \dots \supset A_n \supset \dots\}_{n \in \mathbb{N}}$	$\{A_1 \supset A_2 \supset A_3 \supset \dots \supset A_n \supset \dots\}_{n \in \mathbb{N}}$
P.218 ¹⁶	τ_jclA_0 it follows that $\bigcap_{n \in \mathbb{N}} \tau_jclA_{n+4} \neq \emptyset$	τ_jclA_2 it follows that $\bigcap_{n \in \mathbb{N}} \tau_jclA_{n+2} \neq \emptyset$
P.218 ¹⁷	$\bigcap_{n \in \mathbb{N}} \tau_jclA_{n+7}$	$\bigcap_{n \in \mathbb{N}} \tau_jclA_{n+2}$
P.218 ₂₀	[5,p.111]	[5,p.119]
P.218 ₁₅	$V(\omega) \in \sum_j^X(x) \dots$	$V(x) \in \sum_j^X(x) \dots$
P.218 ₁₃	$x_8 \notin F$	$x_0 \notin F$
P.218 ₉	$V(x_0) \subset U(x_1)$	$V(x_0) \subset U(x_0)$
P.218 ₉	$x_0 \notin F_6$	$x_0 \notin F_0$
P.218 ₈	$(A, \tau_j^*(A))$ gs	$(A, \tau_j^*(A))$ is
P.218 ₇₋₆	[5], p.95	[5], p.75
P.218 ₆	function $f_0 : (A, \tau_j^*(A)) \rightarrow [0; 1] \subset \mathbb{R}$	function $f_1 : (A, \tau_j^*(A)) \rightarrow [0; 1] \subset \mathbb{R}$
P.218 ₅	$f_6(F_0) \subset \{1\}$	$f_1(F_0) \subset \{1\}$
P.219 ¹²	$(X, \tau_0, \tau_2) \dots$, then (N, γ_1, γ_2)	$(X, \tau_1, \tau_2) \dots$, then (Y, γ_1, γ_2)
P.219 ₁₉	(1399)	(1999)
P.219 ₁₈	qitopological	bitopological

REFERENCES

1. I. Dochviri, *Theorems on R. Stoltenberg’s locally compact bitopological spaces*, Mat. Stud. **27** (2007), no.2, 216–219.